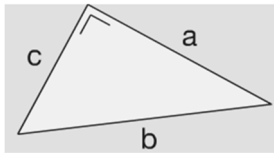
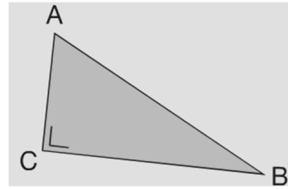


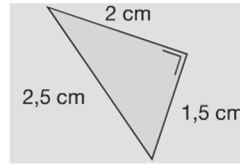
Solutions du T5



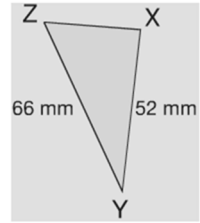
$$b^2 = a^2 + c^2$$



$$|AB|^2 = |AC|^2 + |BC|^2$$



$$2,5^2 = 2^2 + 1,5^2$$



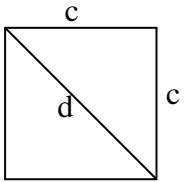
Pas d'application

$$1) \sqrt{242} = 11\sqrt{2}$$

$$2) \sqrt{1296} = \sqrt{2^4 \cdot 3^4} = 2^2 \cdot 3^2 = 36$$

$$3) \sqrt{0,000016} = \sqrt{\frac{16}{1000000}} = \frac{4}{1000} = 0,004$$

$$4) \sqrt{2^5 \cdot 5^2 \cdot 7^3} = \sqrt{2^4 \cdot 2 \cdot 5^2 \cdot 7^2 \cdot 7} = 2^2 \cdot 5 \cdot 7 \sqrt{2 \cdot 7} = 140\sqrt{14}$$

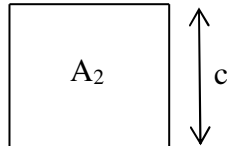
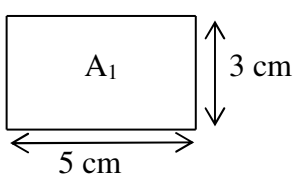


Par le théorème de Pythagore, dans le triangle rectangle, on a :

$$d^2 = c^2 + c^2$$

$$d^2 = 2c^2$$

$$d = \sqrt{2c^2} = \sqrt{2} \cdot c$$



$$\text{Aire}(A_1) = \text{aire}(A_2) = 15 \text{ cm}^2$$

$$\text{L'aire d'un carré de côté } c \text{ vaut } c^2 \text{ et donc } c = \sqrt{15}$$

$$\text{La longueur de } c \text{ vaut } \sqrt{15} \text{ cm}$$

Par Le théorème de Pythagore :

a) le ΔABC est rectangle en A,
on a :

$$|BC|^2 = 6^2 + 8^2$$

$$|BC|^2 = 100$$

$$|BC| = \sqrt{100}$$

$$|BC| = 10$$

Réponse : $|BC| = 10 \text{ mm}$

b) le ΔXYZ est rectangle en Z,
on a :

$$13^2 = |XZ|^2 + 12^2$$

$$169 = |XZ|^2 + 144$$

$$169 - 144 = |XZ|^2$$

$$|XZ|^2 = 25$$

$$|XZ| = \sqrt{25} = 5$$

Réponse : $|XZ| = 5 \text{ cm}$